

TABLES.

TABLE 1.

Strength of Pull.	No. of cases observed.	Percentages.	
		No. of cases observed.	Sums from beginning.
Under 50 lbs.	10	2	2
,, 60 ,,	42	8	10
,, 70 ,,	140	27	37
,, 80 ,,	168	33	70
,, 90 ,,	113	21	91
,, 100 ,,	22	4	95
Above 100 ,,	24	5	100
Total	519	100	

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TABLE 2.
DATA FOR SCHEMES OF DISTRIBUTION of various qualities and faculties among the persons measured at the Anthropometric Laboratory in the International Exhibition of 1884.

Subject of measurement.	Age.	Unit of measurement.	Sex.	No. of persons in the group.	Values at the undetermined Grades, from 0° to 100°.								
					5°	10°	20°	30°	40°	50°	60°	70°	80°
Height, standing, without shoes .	23-51	Inches {	M. F.	811 770	63·2 58·9	64·5 59·9	65·8 61·3	66·5 62·1	67·3 62·7	67·9 63·3	68·5 63·9	69·2 64·6	70·0 65·3
Height, sitting, from seat of chair .	23-51	Inches {	M. F.	1013 775	33·6 31·8	34·2 32·3	34·9 32·9	35·3 33·3	35·4 33·6	36·0 33·9	36·3 34·2	36·7 34·6	37·1 34·9
Span of arms . . .	23-51	Inches {	M. F.	811 770	65·0 58·6	66·1 59·5	67·2 60·7	68·2 61·7	69·0 62·4	69·9 63·0	70·6 63·7	71·4 64·5	72·3 65·4
Weight in ordinary indoor clothes .	23-26	Pounds {	M. F.	520 276	121 102	125 105	131 110	135 114	139 118	143 122	147 129	150 132	156 136
Breathing capacity.	23-26	Cubic Inches {	M. F.	212 277	161 92	177 102	187 115	199 124	211 131	219 138	226 144	248 151	277 164
Strength of pull as archer with bow.	23-26	Pounds {	M. F.	519 276	56 30	60 32	64 34	68 36	71 38	74 40	77 42	80 44	82 47
Strength of squeeze with strongest hand . . .	23-26	Pounds {	M. F.	519 276	67 36	71 39	76 43	79 47	82 49	85 52	88 55	91 58	95 62
Swiftness of blow .	23-26	Ft. per second {	M. F.	516 271	13·2 9·2	14·1 10·1	15·2 11·3	16·2 12·1	17·3 12·8	18·1 13·4	19·1 14·0	20·0 14·5	20·9 15·1
Sight, keenness of — by distance of reading dia- mond test-type .	23-26	Inches {	M. F.	398 433	13 10	17 12	20 16	22 19	23 22	25 24	26 26	28 27	30 29

TABLE 3.
DEVIATIONS from M in each of the series in Table 2, after reduction to a Scale in which $\bar{Q} = 1$, where \bar{Q} is the *Mean* of the Observed Deviations at the Grades 20°, 30°, 70°, and 80°.

Tables 4 to 8 inclusive give data for drawing Normal Curves of Frequency and Distribution. They also show the way in which the latter is derived from the values of the Probability Integral.

The equation for the Probability Curve¹ is $y = k e^{-\frac{h^2 x^2}{2}}$ in which h is "the Measure of Precision." By taking k and h each as unity, the values in Table 4 are computed.

TABLE 4.

Data for a Normal Curve of Frequency.

$$y = e^{-\frac{x^2}{2}}$$

x	y	x	y	x	y	x	y
0	1.00	± 1.0	0.37	± 2.0	0.0183	± 3.0	0.0001
± 0.2	0.96	± 1.2	0.23	± 2.2	0.0079		
± 0.4	0.85	± 1.4	0.14	± 2.4	0.0032	$\pm \infty$	0.0000
± 0.6	0.70	± 1.6	0.78	± 2.6	0.0012		
± 0.8	0.53	± 1.8	0.40	± 2.8	0.0004		

TABLE 5.

Values of the Probability Integral, $\frac{2}{\sqrt{\pi}} \int_0^t e^{-t^2} dt$, for Argument t .

$t (=hx)$	·0	·1	·2	·3	·4	·5	·6	·7	·8	·9
0	0.00	0.11	0.22	0.33	0.43	0.52	0.60	0.68	0.74	0.80
1.0	0.843	0.880	0.910	0.934	0.952	0.966	0.976	0.984	0.989	0.9923
2.0	.9953	.9970	.9981	.9989	.9993	.9996	.9998	.9999	.9999	.9999
infinite	1.0000									

When $t = .4769$ the corresponding tabular entry would be ·50; therefore, ·4769 is the value of the "Probable Error."

¹ See Merriman *On the Method of Least Squares* (Macmillan, 1885), pp. 26, 186, where fuller Tables than 4, 5, and 6 will be found.

TABLE 6.

Values of the Probability Integral for Argument $\frac{t}{0.4769}$; that is, when the unit of measurement = the Probable error.

Multiples of the Probable Error.	·0	·1	·2	·3	·4	·5	·6	·7	·8	·9
0	0·00	0·65	0·11	0·16	0·21	0·26	0·31	0·36	0·41	0·46
1·0	·50	·54	·58	·62	·66	·69	·72	·75	·78	·80
2·0	·82	·84	·86	·88	·89	·91	·92	·93	·94	·95
3·0	·957	·964	·969	·974	·978	·982	·985	·987	·990	·992
4·0	·9930	·9943	·9954	·9963	·9970	·9976	·9981	·9985	·9988	·9990
5·0	·9993	·9994	·9996	·9997	·9997	·9998	·9998	·9999	·9999	·9999
infinite	1·000									

Tables 5 and 6 show the proportion of cases in any Normal system, in which the amount of Error lies within various extreme values, the total number of cases being reckoned as 1·0. Here no regard is paid to the sign of the Error, whether it be *plus* or *minus*, but its amount is alone considered. The unit of the scale by which the Errors are measured, differs in the two Tables. In Table 5 it is the "Modulus," and the result is that the Errors in one half of the cases, that is in 0·50 of them lie within the extreme value (found by interpolation) of 0·4769, while the other half exceed that value. In Table 6 the unit of the scale is 0·4769. It is derived from Table 5 by dividing all the tabular entries by that amount. Consequently one half of the cases have Errors that do not exceed 1·0 in terms of the new unit, and that unit is the Probable Error of the System. It will be seen in Table 6 that the entry of ·50 stands opposite to the argument of 1·0.

If it be desired to transform Tables 5 and 6 into others that shall show the proportion of cases in which the *plus* Errors and the *minus* Errors respectively lie within various extreme limits, their entries would have to be halved.

Let us suppose this to have been done to Table 6, and that a new Table, which it is not necessary to print, has been thereby produced and which we will call 6a. Next multiply all the entries in the new Table by 100 in order to make them refer to a total number of 100 cases, and call this second Table 6b. Lastly make a converse Table to 6b; one in which the arguments of 6b become the entries, and the entries of 6b become the arguments. From this the Table 7

is made. For example, in Table 6, opposite to the argument 1·00, the entry of .50 is found; that entry becomes .25 in 6a, and 25 in 6b. In Table 7 the argument is 25, and the corresponding entry is 1·00. The meaning of this is, that in 25 per cent. of the cases the greatest of the Errors just attains to $\pm 1\cdot0$. Similarly Table 7 shows that the greatest of the Errors in 30 per cent. of the cases, just attains to $\pm 1\cdot25$; in 40 per cent. to 1·90, and so on. These various percentages correspond to the centesimal Grades in a Curve of Distribution, when the Grade 0° is placed at the middle of the axis, which is the point where it is cut by the Curve, and where the other Grades are reckoned outwards on either hand, up to + 50° on the one side, and to — 50° on the other.

To recapitulate:—In order to obtain Table 7 from the primary Table 5, we have to halve each of the entries in the body of Table 5, then to multiply each of the arguments by 100, and divide it by .4769. Then we expand the Table by interpolations, so as to include among its entries every whole number from 1 to 99 inclusive. Selecting these and disregarding the rest, we turn them into the arguments of Table 7, and we turn their corresponding arguments into the entries in Table 7.

TABLE 7.

ORDINATES TO NORMAL CURVE OF DISTRIBUTION

on a scale whose unit = the Probable Error; and in which the 100 Grades run from 0° to +50° on the one side, and to —50° on the other.

Grades.	0	1	2	3	4	5	6	7	8	9
0	0·00	0·04	0·07	0·11	0·15	0·19	0·22	0·26	0·30	0·34
10	0·38	0·41	0·45	0·49	0·53	0·57	0·61	0·65	0·69	0·74
20	0·78	0·82	0·86	0·97	0·95	1·00	1·05	1·10	1·15	1·20
30	1·25	1·30	1·36	1·42	1·47	1·54	1·60	1·67	1·74	1·82
40	1·90	1·99	2·08	2·19	2·31	2·44	2·60	2·79	3·05	3·45

But in the Schemes, the 100 Grades do not run from —50° through 0° to + 50°, but from 0° to 100°. It is therefore convenient to modify Table 7 in a manner that will admit of its being used directly for drawing Schemes without troublesome additions or subtractions. This is done in Table 8, where the values from 50° onwards, and those from 50° backwards are identical with those in Table 7 from 0° to $\pm 50^{\circ}$, but the first half of those in Table 8 are positive and the latter half are negative.

TABLE 8.

ORDINATES to NORMAL CURVE of DISTRIBUTION on a scale whose unit = the Probable Error,
and in which the 100 Grades run from 0° to 100° .

Grades	0	1	2	3	4	5	6	7	8	9
0	$-\infty$	-3.45	-3.05	-2.79	-2.60	-2.44	-2.31	-2.19	-2.08	-1.99
10	-1.90	-1.82	-1.74	-1.67	-1.60	-1.54	-1.47	-1.42	-1.36	-1.30
20	-1.25	-1.20	-1.15	-1.10	-1.05	-1.00	-0.95	-0.91	-0.86	-0.82
30	-0.78	-0.74	-0.69	-0.65	-0.61	-0.57	-0.53	-0.49	-0.45	-0.41
40	-0.38	-0.34	-0.30	-0.26	-0.22	-0.19	-0.15	-0.11	-0.07	-0.04
50	0.00	+0.04	+0.07	+0.11	+0.15	+0.19	+0.22	+0.26	-0.30	+0.34
60	+0.38	+0.41	+0.45	+0.49	+0.53	+0.57	+0.61	+0.65	+0.69	+0.74
70	+0.78	+0.82	+0.86	+0.91	+0.95	+1.00	+1.05	+1.10	+1.15	+1.20
80	+1.25	+1.30	+1.36	+1.42	+1.47	+1.54	+1.60	+1.67	+1.74	+1.82
90	+1.90	+1.99	+2.08	+2.19	+2.31	+2.44	+2.60	+2.79	+3.05	+3.45

Examples of the way in which Table 8 is to be read :—

The ordinate at 0° is $-\infty$; at 10° it is -1.90 ; at 11° it is -1.82 ; at 25° it is -1.00 ; at 75° it is $+1.00$. The Table does not go beyond Grade 99° , where the ordinate is $+3.45$. At the Grade 100° , the ordinate would be $+\infty$.

TABLE 9.

MARRIAGE SELECTION IN RESPECT TO STATURE.

The 205 male parents and the 205 female parents are each divided into three groups—T, M, and S, and *t*, *m*, and *s*, respectively—that is, Tall, Medium, and Short (medium male measurements being taken as 67 inches, and upwards to 70 inches). The number of marriages in each possible combination between them were then counted, with the result that men and women of contrasted heights, Short and Tall, or Tall and Short, married about as frequently as men and women of similar heights, both Tall or both Short; there were 32 cases of the one to 27 of the other.

S., t. 12 cases.	M., t. 20 cases.	T., t. 18 cases.
S., m. 25 cases.	M., m. 51 cases.	T., m. 28 cases.
S., s. 9 cases.	M., s. 28 cases.	T., s. 14 cases.

Short and tall, 12 + 14 = 32 cases.

Short and short, 9 } = 27 cases.

Tall and tall, 18 }

We may therefore regard the married folk as couples picked out of the general population at haphazard when applying the law of probabilities to heredity of stature.

TABLE 9A.

MARRIAGE SELECTION IN RESPECT TO EYE-COLOUR
in 78 Parental Couples.

Eye Colour of		No. of cases observed.	Per Cents.				Eye Colour of Husband and Wife.
Husband	Wife.		Obs.	Chance.	Observed.	Chance.	
Light	Light	29	37	37			
Hazel	Hazel	2	3	2			
Dark	Dark	6	8	7			
Light	Hazel						
Hazel	Light	18	23	15			
Hazel	Dark						
Dark	Hazel	4	5	7			
Light	Dark						
Dark	Light	19	24	32	24	32	Contrasted

The chance combinations in pairs are calculated for a population containing 61.2 per cent. of Light Eye-colour, 12.7 of Hazel, and 26.1 of Dark.

TABLE 9B.
MARRIAGES OF THE ARTISTIC AND THE NOT ARTISTIC.

Rank in Pedigrees.	No. of persons.	Percentages.									
		Males.		Females.		Pairs of artistic and not artistic persons.					
		art.	not.	art.	not.	both art.	1 art.	both not.	both art.	1 art.	both not.
Parents	326	32	68	39	61	14	31	50	12	46	42
Paternal grandparents..	280	27	73	30	70	12	31	57	8	41	51
Maternal grandparents..	288	24	76	28	72	9	41	50	7	39	54
Totals and means...	894	28	72	33	67	12	36	52	9	42	49
Tastes of Husband and Wife—alike						12 + 52 = 64			9 + 49 = 58		
" "	"	"	contrasted.....			36			42		

TABLE 10.
EFFECT UPON ADULT CHILDREN OF DIFFERENCES IN HEIGHT OF THEIR PARENTS.

Difference in inches between the Heights of the Parents.	Proportion per 50 of cases in which the Heights ¹ of the Children deviated to various amounts from the Mid-filial Stature of their respective families.					Number of Children whose Heights were observed. (Total 525.)
	Less than 1 inch.	Less than 2 inches.	Less than 3 inches.	Less than 4 inches.	Less than 5 inches.	
Under 1 inch	21	35	43	46	48	105
1 and under 2	23	37	46	49	50	122
2 " 3	16	34	41	45	49	112
3 " 5	24	35	41	47	49	108
5 and above..	18	30	40	47	49	78

¹ Every female height has been transmuted to its male equivalent by multiplying it by 1.08, and only those families have been included in which the number of adult children amounted to six, at least.

NOTE.—When these figures are protracted into curves, it will be seen—(1) that they run much alike; (2) that their peculiarities are not in sequence; and (3) that the curve corresponding to the first line occupies a medium position. It is therefore certain that differences in the heights of the Parents have on the whole an inconsiderable effect on the heights of their Offspring.

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TABLE 11 (R.F.F. Data).
 NUMBER OF ADULT CHILDREN OF VARIOUS STATURES BORN OF 205 MID-PARENTS OF VARIOUS STATURES.
 (All Female Heights have been multiplied by 1.08.)

Height of the mid- parents in inches.	Heights of the adult children.										Total number of Medians or Values of M .				
	Below 62.2	63.2	64.2	65.2	66.2	67.2	68.2	69.2	70.2	71.2	72.2	73.2	Above.	Adult children.	Mid- parents.
Above 72.5...	1	3	...	4 ¹	5 ¹	72.2
72.5...	1	2	1	2	4	4	19	6	69.9
71.5...	1	3	4	5	10	4	9	2	43	11	22
70.5...	1	1	1	3	12	18	14	7	4	3	68	22
69.5...	...	1	16	4	17	27	20	33	25	20	11	4	5	183	41
68.5...	1	...	7	11	16	25	31	34	48	21	18	4	3	219	49
67.5...	...	3	5	14	15	36	38	38	38	19	11	4	...	211	33
66.5...	...	3	3	5	2	17	17	14	13	4	78	20
65.5...	1	...	9	5	7	11	11	7	7	6	2	1	...	66	12
64.5...	1	1	4	4	1	5	5	5	...	2	23	5
Below	1	...	2	4	1	2	2	1	1	14	1
Totals	5	7	32	59	48	117	138	120	167	99	64	41	17	14	928
Medians	66.3	67.8	67.9	67.7	67.9	68.3	68.5	69.0	69.0	70.0	205

Note.—In calculating the medians, the entries have been taken as referring to the middle of the squares in which they stand. The reason why the headings run 62.2, 63.2, &c., instead of 62.5, 63.5, &c., is that the observations are unequally distributed between 62 and 63, 63 and 64, &c., there being a strong bias in favour of integral inches. After careful consideration, I concluded that the headings, as adopted, best satisfied the conditions. This inequality was not apparent in the case of the mid-parents.

¹ I have reprinted this Table without alteration from that published in the *Proc. Roy. Soc.*, notwithstanding a small blunder since discovered in sorting the entries between the first and second lines. It is obvious that 4 children cannot have 5 Mid-Parents. The first line is not considered at all, on account of the paucity of the numbers it contains. The bottom line, which looks suspicious, is correct.

TABLE 12 (R.F.F. Data).
RELATIVE NUMBER OF BROTHERS OF VARIOUS HEIGHTS TO MEN OF VARIOUS HEIGHTS, FAMILIES OF SIX BROTHERS AND UPWARDS BEING EXCLUDED.

Heights of the men in inches.	Heights of their brothers in inches.										Total Cases.	Medians.	
	62·2 Below 61·7	63·2	64·2	65·2	66·2	67·2	68·2	69·2	70·2	71·2	72·2	73·2	
Above 73·7...	1	...	1	...	1	4	3	3	2	18
73·2...	1	...	1	2	1	1	1	2	1	3	4	3	16
72·2...	1	...	1	...	1	...	8	6	8	11	5	4	3
71·2...	4	4	4	9	11	15	12	8	11	3	3
70·2...	1	...	2	4	3	7	6	12	25	18	11	8	1
69·2...	4	6	13	12	18	29	29	24	15	6	2
68·2...	1	3	6	7	15	16	29	12	11	8	1
67·2...	1	...	4	3	8	14	21	15	19	6	9	...	1
66·2...	1	7	10	12	14	7	12	7	4	1	...
65·2...	...	1	1	4	13	9	8	6	13	3	4	1	1
64·2...	...	1	...	6	4	7	3	3	6	4	4	2	...
63·2...	1	1	4	...	4	2	...	1	...
62·2...	1	1
Below 61·7...	...	5	2	13	39	65	74	101	109	161	102	83	51
													17
													888

TABLE 13 (Special Data).

RELATIVE NUMBER OF BROTHERS OF VARIOUS HEIGHTS TO MEN OF VARIOUS HEIGHTS, FAMILIES OF FIVE BROTHERS AND UPWARDS BEING EXCLUDED.

Heights of the men in inches.	Heights of their brothers in inches.										Total cases.	Medians.	
	Below 63	63.5	64.5	65.5	66.5	67.5	68.5	69.5	70.5	71.5	72.5	73.5	
74 and above	1	1	1	1	...	6	3	12	24
73.5.....	1	3	4	8	3	3	2	3	27
72.5.....	1	1	6	5	9	9	8	3	47
71.5.....	...	1	...	1	2	8	11	18	14	20	9	4	71.1
70.5.....	1	1	7	19	30	45	36	14	9	8	88
69.5.....	...	1	2	1	11	20	36	55	44	17	5	4	70.2
68.5.....	...	1	5	9	18	38	46	36	30	11	6	3	69.6
67.5.....	2	4	8	26	35	38	38	20	18	8	1	1	203
66.5.....	4	3	10	33	28	35	20	12	7	2	1	...	68.7
65.5.....	3	3	15	18	33	36	8	2	1	1	110
64.5.....	3	8	12	15	10	8	5	2	1	64
63.5.....	5	2	8	3	3	4	1	1	...	1	...	1	20
Below 63.....	5	5	3	3	4	2	1	23
Totals.....	23	29	64	110	152	200	204	201	169	86	47	28	1329

TABLE 14 (Special Data).

DEVIATIONS OF INDIVIDUAL BROTHERS FROM THEIR MID-FRATERNAL
STATURES.

Number of brothers in each family.....	4	5.	6	7
Number of Families.....	39	23	8	6
Amount of Deviation.	Number of cases.	Number of cases.	Number of cases.	Number of cases.
Under 1 inch.....	88	62	20	21
1 and under 2.....	49	30	18	14
2 and under 3.....	15	17	5	6
3 and under 4.....	4	3	3	1
4 and above.....	...	3	2	...

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TABLE 15.
FREQUENCY OF DIFFERENT EYE-COLOURS IN FOUR SUCCESSIVE GENERATIONS.

Sex and the No. of the (ascending) generation.	No. of cases of eye-colour observed.	Percentages.								
		1. Light blue.	2. Blue. Dark blue.	3. Grey. Blue-green.	4. Dark grey. Hazel.	5. Light brown.	6. Brown.	7. Dark brown.	8. Very dark brown.	Totals.
Males { IV....	13	177	136	40	2	39	44	12	463	2·8
III....	19	234	233	84	3	79	97	24	773	2·4
II....	30	167	236	108	8	83	74	36	742	4·0
I.....	3	89	82	47	1	37	31	9	299	1·0
General.....	65	687	687	279	14	238	246	81	2277	2·9
Females { IV....	7	132	114	48	2	70	58	19	450	1·5
III....	22	173	241	89	7	100	98	17	742	2·9
II....	21	210	241	98	3	78	60	24	735	2·9
I.....	6	78	82	55	5	33	22	5	286	2·1
General.....	56	593	678	290	17	281	233	65	2213	2·5
Males { IV....	20	309	240	88	4	109	102	31	913	2
III.... and	41	407	474	173	10	179	190	41	1615	3
II.... Females	51	377	477	206	11	161	134	60	1477	3
I.....	9	167	164	102	6	70	53	14	585	1
General.....	121	1260	1365	569	31	519	479	146	4490	2·7

TABLE 16.
THE DESCENT OF HAZEL-EYED FAMILIES.

	Total cases.	Observed.			Percentages.		
		Light.	Hazel.	Dark.	Light.	Hazel.	Dark.
General population	4490	2746	569	1175	61·2	12·7	26·1
III. Grandparents.....	449	267	61	121	60	13	27
II. Parents	336	165	85	86	49	25	26
I. Children.....	948	430	302	216	45	32	23

TABLE 17.
CALCULATED CONTRIBUTIONS OF EYE-COLOUR.

Contribution to the heritage from each.	Data limited to the eye-colours of the					
	2 parents.		4 grandparents.		2 parents and 4 grandparents.	
	I.		II.		III.	
	Light.	Dark.	Light.	Dark.	Light.	Dark.
Light-eyed parent.....	0·30	0·25	..
Hazel-eyed parent.....	0·20	0·10	0·16	0·09
Dark-eyed parent	0·30	0·25
Light-eyed grandparent..	0·16	...	0·08	...
Hazel-eyed grandparent..	0·10	0·06	0·05	0·03
Dark-eyed grandparent...	0·16	...	0·08
Residue, rateably assigned	0·28	0·12	0·25	0·11	0·12	0·06

TABLE 18.
EXAMPLE OF ONE CALCULATION IN EACH OF THE THREE CASES.

Ancestry and their eye-colours.	I.			II.			III.		
	No. about whom data exist.	Contribute to		No. about whom data exist.	Contribute to		No. about whom data exist.	Contribute to	
		Light.	Dark.		Light.	Dark.		Light.	Dark.
Light-eyed parents.	2	0·60
Hazel-eyed parents.	1	0·16	0·09
Dark-eyed parents.	1	...	0·25
Light-eyed grandparents.....	1	0·16	...	1	0·08	...
Hazel-eyed grandparents.....	2	0·20	0·12	2	0·10	0·06
Dark-eyed grandparents.....	1	...	0·16	1	...	0·08
Residue, rateably assigned.....	...	0·28	0·12		0·25	0·11		0·12	0·06
Total contributions	...	0·88	0·12		0·61	0·39		0·46	0·54
		1·00			1·00			1·00	

TABLE 19.

OBSERVED AND CALCULATED EYE-COLOURS IN 16 GROUPS OF FAMILIES.

Those families are grouped together in whom the distribution of Light, Hazel, and Dark Eye-colour among the Parents and Grandparents is alike. Each group contains at least Twenty Brothers or Sisters.

Eye-colours of the						Total child- ren.	Number of the light eye- coloured children.			
Parents.			Grandparents.			Ob- served.	Calculated.			
Light	Hazel.	Dark.	Light	Hazel.	Dark.		I.	II.	III.	
2	4	183	174	161	163	172
2	3	1	...	53	46	47	44	48
2	3	...	1	92	88	81	67	79
2	2	1	1	27	26	24	18	22
...	...	2	2	...	2	22	11	6	12	6
1	1	...	3	1	...	62	52	48	51	51
1	1	...	3	...	1	42	30	33	31	32
1	1	...	2	2	...	31	28	24	24	20
1	1	...	2	...	2	49	35	38	28	34
1	1	...	2	1	1	31	25	24	21	23
1	...	1	3	...	1	76	45	44	55	46
1	...	1	2	...	2	66	30	38	38	35
1	...	1	2	...	1	27	15	16	18	16
I	...	1	1	...	3	20	9	12	8	9
1	...	1	1	1	2	22	8	13	11	11
...	1	1	1	1	2	24	9	14	12	10
						629	623	601	614	

NATURAL INHERITANCE.

TABLE 20.

OBSERVED AND CALCULATED EYE-COLOURS IN 78 SEPARATE FAMILIES, EACH OF NOT LESS THAN SIX BROTHERS OR SISTERS.

Eye-colours of the						Total child- ren.	Number of the light eye- coloured children.			
Parents.			Grandparents.			Ob- served.	Calculated.			
Light.	Hazel.	Dark.	Light.	Hazel.	Dark.		I.	II.	III.	
2	4	6	6	5·3	5·3	5·6
2	4	6	6	5·3	5·3	5·6
2	4	6	5	5·3	5·3	5·6
2	4	6	5	5·3	5·3	5·6
2	4	7	7	6·2	6·2	6·6
2	4	7	7	6·2	6·2	6·6
2	4	7	7	6·2	6·2	6·6
2	4	7	7	6·2	6·2	6·6
2	4	7	7	6·2	6·2	6·6
2	4	8	8	7·0	7·1	7·5
2	4	8	8	7·0	7·1	7·5
2	4	8	8	7·0	7·1	7·5
2	4	8	8	7·0	7·1	7·5
2	4	12	12	10·6	10·7	11·3
2	3	1	..	7	7	6·2	5·8	6·4
2	3	1	..	10	4	8·8	8·3	9·1
2	3	1	..	12	12	10·6	10·0	10·9
2	3	..	1	7	6	6·2	5·1	6·0
2	3	..	1	8	8	7·0	5·8	6·9
2	3	..	1	9	9	7·9	6·6	7·7
2	3	..	1	9	9	7·9	6·6	7·7
2	3	..	1	9	7	7·9	6·6	7·7
2	3	..	1	10	10	8·8	7·3	8·6
2	2	2	..	7	7	6·2	5·4	6·2
2	2	1	1	10	9	8·8	7·7	8·8
2	2	1	1	10	6	5·3	4·0	5·0
2	2	1	1	10	10	8·8	6·7	8·3
..	2	..	2	2	..	7	4	6·2	4·7	4·6
..	2	..	2	2	..	8	5	5·4	4·6	4·8
..	..	2	3	..	1	6	2	1·7	4·4	2·2
..	..	2	2	..	2	9	1	2·5	5·1	2·5
..	..	2	1	..	3	6	1	2·7	2·5	1·2
..	..	2	1	..	3	11	3	3·1	4·5	2·2
..	..	2	1	1	2	6	..	1·7	3·0	1·5
..	..	2	1	1	2	7	4	2·0	3·6	1·8
1	1	..	3	1	..	6	6	4·7	5·0	4·9
1	1	..	3	1	..	7	6	5·5	5·7	5·7
1	1	..	3	1	..	8	6	6·2	6·6	6·6
1	1	..	3	1	..	9	7	7·0	7·5	7·4
1	1	..	3	1	..	11	10	8·6	9·1	9·2

TABLE 20—*continued.*

Eye-colours of the						Total child- ren.	Number of the light eye- coloured children.			
Parents.			Grandparents.			Ob- served.	Children.			
Light.	Hazel.	Dark.	Light.	Hazel.	Dark.		I.	II.	III.	
1	1	...	3	...	1	9	6	7·0	6·6	6·9
1	1	...	3	2	1	11	7	8·6	8·0	8·5
1	1	...	2	2	...	7	6	5·5	5·4	4·4
1	1	...	2	2	...	9	9	7·0	6·9	5·7
1	1	...	2	2	...	11	1	8·6	8·5	6·9
1	1	...	2	...	2	6	6	4·7	3·4	4·1
1	1	...	2	...	2	6	4	4·7	3·4	4·1
1	1	...	2	...	2	8	5	6·2	4·6	5·5
1	1	...	2	...	2	9	7	7·0	5·1	6·2
1	1	...	2	1	1	6	6	4·7	4·0	4·4
1	1	...	2	1	1	10	9	7·8	6·7	7·4
1	1	...	1	3	...	9	4	7·0	5·5	6·8
1	1	...	1	1	2	8	5	6·2	4·1	5·3
1	...	1	4	7	3	4·1	6·2	4·8
1	...	1	3	...	1	6	4	3·5	4·4	3·7
1	...	1	3	...	1	7	3	4·1	5·1	4·3
1	...	1	3	...	1	8	6	4·6	5·8	4·9
1	...	1	3	...	1	8	5	4·6	5·8	4·9
1	...	1	3	...	1	8	4	4·6	5·8	4·9
1	...	1	3	...	1	9	6	5·2	6·6	5·5
1	...	1	3	...	1	9	5	5·2	6·6	5·5
1	...	1	2	...	2	6	5	3·5	3·4	3·2
1	...	1	2	...	2	6	3	3·5	3·4	3·2
1	...	1	2	...	2	8	4	4·6	4·6	4·2
1	...	1	2	...	2	10	2	5·8	5·7	5·3
1	...	1	2	...	2	14	9	8·1	8·0	7·4
1	...	1	2	1	1	7	5	4·1	4·7	4·1
1	...	1	1	2	1	7	3	4·1	4·3	3·9
1	...	1	1	1	2	7	4	4·1	3·6	3·5
1	...	1	1	1	...	8	4	4·6	3·3	3·6
1	...	1	1	1	...	8	3	4·6	3·3	3·6
1	...	1	1	1	...	6	3	3·5	2·1	2·6
...	1	1	1	2	...	6	3	4·8	3·4	2·6
...	1	1	1	1	...	9	2	7·0	6·0	4·4
...	1	1	1	1	...	13	8	10·1	5·3	4·7
...	1	1	1	...	4	7	2	5·5	4·6	3·4

NATURAL INHERITANCE.

TABLE 21.

ERROR IN CALCULATIONS.

Numbers of Errors of various Amounts in the 3 Calculations, Table 20, of the Number of Light Eye-coloured Children in the 78 Families.

Data employed referring to	Amount of Errors.					Total Cases.
	0·0 to 0·5.	0·6 to 1·1	1·2 to 1·7	1·8 to 2·3	2·4 and above.	
I. The 2 parents only	19	30	18	5	6	78
II. The 4 grandparents only.....	16	28	10	10	14	78
III. The 2 parents and 4 grandparents.....	41	17	8	4	8	78

TABLE 22.
INHERITANCE OF THE ARTISTIC FACULTY.

Parents.	Children.					
	Observed.			Per cents.		
	Number of Fraternities.	Total children.	Of whom are artistic.	Observed.	Calculated.	
				art.	not art.	art.
Both artistic	30	148	95	64	36	60
One artistic; one not..	101	520	201	39	61	39
Neither artistic.....	150	839	173	21	79	17
Totals.....	281	1507	469	100	100	100
						100

The "parents" and the "children" in this Table usually rank respectively as Grandparents and Parents in the R.F.F. pedigrees.